



Ministry of Education Malaysia

Integrated Curriculum for Primary Schools
CURRICULUM SPECIFICATIONS

MATHEMATICS



Curriculum Development Centre Ministry of Education Malaysia 2006



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# **MATHEMATICS**





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2006

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#### OUR NATION, MALAYSIA, being dedicated

- to achieving a greater unity of all her peoples;
- to maintaining a democratic way of life;
- to creating a just society in which the wealth of the nation shall be equitably shared;
- to ensuring a liberal approach to her rich and diverse cultural traditions;
- to building a progressive society which shall be oriented to modern science and technology;

WE, her peoples, pledge our united efforts to attain these ends guided by these principles:

- BELIEF IN GOD
- LOYALTY TO KING AND COUNTRY
- UPHOLDING THE CONSTITUTION
- RULE OF LAW
- GOOD BEHAVIOUR AND MORALITY

# National Philosophy of Education

Education in Malaysia is an ongoing effort towards further developing the potential of individuals in a holistic and integrated manner so as to produce individuals who are intellectually, spiritually, emotionally and physically balanced and harmonious, based on a firm belief in God. Such an effort is designed to produce Malaysian citizens who are knowledgeable and competent, who possess high moral standards, and who are responsible and capable of achieving a high level of personal well-being as well as being able to contribute to the betterment of the family, the society and the nation at large.

#### **PRFFACE**

Science and technology plays a crucial role in meeting Malaysia's aspiration to achieve developed nation status. Since mathematics is instrumental in developing scientific and technological knowledge, the provision of quality mathematics education from an early age in the education process is critical.

The primary school Mathematics curriculum as outlined in the syllabus has been designed to provide opportunities for pupils to acquire mathematical knowledge and skills and develop the higher order problem solving and decision making skills that they can apply in their everyday lives. But, more importantly, together with the other subjects in the primary school curriculum, the mathematics curriculum seeks to inculcate noble values and love for the nation towards the final aim of developing the holistic person who is capable of contributing to the harmony and prosperity of the nation and its people.

Beginning in 2003, science and mathematics will be taught in English following a phased implementation schedule, which will be completed by 2008. Mathematics education in English makes use of ICT in its delivery. Studying mathematics in the medium of English assisted by ICT will provide greater opportunities for pupils to enhance their knowledge and skills because they are able to source the various repositories of knowledge written in mathematical English whether in electronic or print forms. Pupils will be able to communicate mathematically in English not only in the immediate environment but also with pupils from other countries thus increasing their overall English proficiency and mathematical competence in the process.

The development of a set of Curriculum Specifications as a supporting document to the syllabus is the work of many individuals and experts in the field. To those who have contributed in one way or another to this effort, on behalf of the Ministry of Education, I would like to thank them and express my deepest appreciation.

(DR. HAILI BIN DOLHAN)

Director
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Malaysia

#### INTRODUCTION

Our nation's vision can be achieved through a society that is educated and competent in the application of mathematical knowledge. To realise this vision, society must be inclined towards mathematics. Therefore, problem solving and communicational skills in mathematics have to be nurtured so that decisions can be made effectively.

Mathematics is integral in the development of science and technology. As such, the acquisition of mathematical knowledge must be upgraded periodically to create a skilled workforce in preparing the country to become a developed nation. In order to create a K-based economy, research and development skills in Mathematics must be taught and instilled at school level.

Achieving this requires a sound mathematics curriculum, competent and knowledgeable teachers who can integrate instruction with assessment, classrooms with ready access to technology, and a commitment to both equity and excellence.

The Mathematics Curriculum has been designed to provide knowledge and mathematical skills to pupils from various backgrounds and levels of ability. Acquisition of these skills will help them in their careers later in life and in the process, benefit the society and the nation.

Several factors have been taken into account when designing the curriculum and these are: mathematical concepts and skills, terminology and vocabulary used, and the level of proficiency of English among teachers and pupils.

The Mathematics Curriculum at the primary level (KBSR) emphasises the acquisition of basic concepts and skills. The content is categorised into four interrelated areas, namely, Numbers, Measurement, Shape and Space and Statistics.

The learning of mathematics at all levels involves more than just the basic acquisition of concepts and skills. It involves, more importantly, an understanding of the underlying mathematical thinking, general

strategies of problem solving, communicating mathematically and inculcating positive attitudes towards an appreciation of mathematics as an important and powerful tool in everyday life.

It is hoped that with the knowledge and skills acquired in Mathematics, pupils will discover, adapt, modify and be innovative in facing changes and future challenges.

#### AIM

The Primary School Mathematics Curriculum aims to build pupils' understanding of number concepts and their basic skills in computation that they can apply in their daily routines effectively and responsibly in keeping with the aspirations of a developed society and nation, and at the same time to use this knowledge to further their studies.

#### **OBJECTIVES**

The Primary School Mathematics Curriculum will enable pupils to:

- 1 know and understand the concepts, definition, rules sand principles related to numbers, operations, space, measures and data representation;
- 2 master the basic operations of mathematics:
  - addition.
  - subtraction,
  - · multiplication,
  - division;
- 3 master the skills of combined operations;

- 4 master basic mathematical skills, namely:
  - making estimates and approximates,
  - · measuring,
  - handling data
  - representing information in the form of graphs and charts;
- 5 use mathematical skills and knowledge to solve problems in everyday life effectively and responsibly;
- 6 use the language of mathematics correctly;
- 7 use suitable technology in concept building, acquiring mathematical skills and solving problems;
- 8 apply the knowledge of mathematics systematically, heuristically, accurately and carefully;
- 9 participate in activities related to mathematics; and
- 10 appreciate the importance and beauty of mathematics.

#### CONTENT ORGANISATION

The Mathematics Curriculum at the primary level encompasses four main areas, namely, Numbers, Measures, Shape and Space, and Statistics. The topics for each area have been arranged from the basic to the abstract. Teachers need to teach the basics before abstract topics are introduced to pupils.

Each main area is divided into topics as follows:

- 1 Numbers
  - Whole Numbers;
  - Fractions:

- · Decimals:
- Money:
- 2 Measures
  - Time:
  - Length;
  - Mass:
  - · Volume of Liquid.
- 3 Shape and Space
  - Two-dimensional Shapes;
  - Three-dimensional Shapes;
  - · Perimeter and Area.
- 4 Statistics
  - Data Handling

The Learning Areas outline the breadth and depth of the scope of knowledge and skills that have to be mastered during the allocated time for learning. These learning areas are, in turn, broken down into more manageable objectives. Details as to teaching-learning strategies, vocabulary to be used and points to note are set out in five columns as follows:

Column 1: Learning Objectives.

Column 2: Suggested Teaching and Learning Activities.

Column 3: Learning Outcomes.

Column 4: Points To Note.

Column 5: Vocabulary.

The purpose of these columns is to illustrate, for a particular teaching objective, a list of what pupils should know, understand and be able to do by the end of each respective topic.

The **Learning Objectives** define clearly what should be taught. They cover all aspects of the Mathematics curriculum and are presented in a developmental sequence to enable pupils to grasp concepts and master skills essential to a basic understanding of mathematics.

The **Suggested Teaching and Learning Activities** list some examples of teaching and learning activities. These include methods, techniques, strategies and resources useful in the teaching of a specific concepts and skills. These are however not the only approaches to be used in classrooms.

The **Learning Outcomes** define specifically what pupils should be able to do. They prescribe the knowledge, skills or mathematical processes and values that should be inculcated and developed at the appropriate levels. These behavioural objectives are measurable in all aspects.

In **Points To Note**, attention is drawn to the more significant aspects of mathematical concepts and skills. These aspects must be taken into accounts so as to ensure that the concepts and skills are taught and learnt effectively as intended.

The **Vocabulary** column consists of standard mathematical terms, instructional words and phrases that are relevant when structuring activities, asking questions and in setting tasks. It is important to pay careful attention to the use of correct terminology. These terms need to be introduced systematically to pupils and in various contexts so that pupils get to know of their meaning and learn how to use them appropriately.

#### EMPHASES IN TEACHING AND LEARNING

The Mathematics Curriculum is ordered in such a way so as to give flexibility to the teachers to create an environment that is enjoyable, meaningful, useful and challenging for teaching and learning. At the same time it is important to ensure that pupils show progression in acquiring the mathematical concepts and skills.

On completion of a certain topic and in deciding to progress to another learning area or topic, the following need to be taken into accounts:

- The skills or concepts acquired in the new learning area or topics;
- Ensuring that the hierarchy or relationship between learning areas or topics have been followed through accordingly; and
- Ensuring the basic learning areas have or skills have been acquired or mastered before progressing to the more abstract areas.

The teaching and learning processes emphasise concept building, skill acquisition as well as the inculcation of positive values. Besides these, there are other elements that need to be taken into account and learnt through the teaching and learning processes in the classroom. The main emphasis are as follows:

#### 1. Problem Solving in Mathematics

Problem solving is a dominant element in the mathematics curriculum for it exists in three different modes, namely as content, ability, and learning approach.

Over the years of intellectual discourse, problem solving has developed into a simple algorithmic procedure. Thus, problem solving is taught in the mathematics curriculum even at the primary school level. The commonly accepted model for problem solving is the four-step algorithm, expressed as follows:-

- · Understanding the problem;
- Devising a plan;
- · Carrying out the plan; and
- · Looking back at the solution.

In the course of solving a problem, one or more strategies can be employed to lead up to a solution. Some of the common strategies of problem solving are:-

- Try a simpler case;
- Trial and improvement;
- Draw a diagram;
- Identifying patterns and sequences;
- Make a table, chart or a systematic list;
- Simulation;
- Make analogy; and
- Working backwards.

Problem solving is the ultimate of mathematical abilities to be developed amongst learners of mathematics. Being the ultimate of abilities, problem solving is built upon previous knowledge and experiences or other mathematical abilities which are less complex in nature. It is therefore imperative to ensure that abilities such as calculation, measuring, computation and communication are well developed amongst students because these abilities are the fundamentals of problem solving ability.

People learn best through experience. Hence, mathematics is best learnt through the experience of solving problems. Problem-based learning is an approach where a problem is posed at the beginning of a lesson. The problem posed is carefully designed to have the desired mathematical concept and ability to be acquired by students during the particular lesson. As students go through the process of solving the problem being posed, they pick up the concept and ability that are built into the problem. A reflective activity has to be conducted towards the end of the lesson to assess the learning that has taken place.

#### 2. Communication in Mathematics

Communication is one way to share ideas and clarify the understanding of Mathematics. Through talking and questioning, mathematical ideas can be reflected upon, discussed and modified. The process of reasoning analytically and systematically can help reinforce and strengthen pupils' knowledge and understanding of mathematics to a deeper level. Through effective communications pupils will become efficient in problem solving and be able to explain concepts and mathematical skills to their peers and teachers.

Pupils who have developed the above skills will become more inquisitive gaining confidence in the process. Communicational skills in mathematics include reading and understanding problems, interpreting diagrams and graphs, and using correct and concise mathematical terms during oral presentation and written work. This is also expanded to the listening skills involved.

Communication in mathematics through the listening process occurs when individuals respond to what they hear and this encourages them to think using their mathematical knowledge in making decisions.

Communication in mathematics through the reading process takes place when an individual collects information or data and rearranges the relationship between ideas and concepts. Communication in mathematics through the visualization process takes place when an individual makes observation, analyses it, interprets and synthesises the data into graphic forms, such as pictures, diagrams, tables and graphs.

The following methods can create an effective communication environment:

- Identifying relevant contexts associated with environment and everyday life experiences of pupils;
- Identifying interests of pupils;
- Identifying teaching materials;
- Ensuring active learning;
- · Stimulating meta-cognitive skills;
- · Inculcating positive attitudes; and
- Creating a conducive learning environment.

Oral communication is an interactive process that involves activities like listening, speaking, reading and observing. It is a two-way interaction that takes place between teacher-pupil, pupil-pupil, and pupil-object. When pupils are challenged to think and reason about mathematics and to tell others the results of their thinking, they learn to be clear and convincing. Listening to others' explanations gives pupils the opportunities to develop their own understanding. Conversations in which mathematical ideas are explored from multiple perspectives help sharpen pupils thinking and help make connections between ideas. Such activity helps pupils develop a language for expressing mathematical ideas and appreciation of the need for precision in the language. Some effective and meaningful oral communication techniques in mathematics are as follows:

- Story-telling, question and answer sessions using own words:
- Asking and answering questions;

- Structured and unstructured interviews:
- Discussions during forums, seminars, debates and brainstorming sessions; and
- Presentation of findings of assignments.

Written communication is the process whereby mathematical ideas and information are shared with others through writing. The written work is usually the result of discussions, contributions and brainstorming activities when working on assignments. Through writing, the pupils will be encouraged to think more deeply about the mathematics content and observe the relationships between concepts.

Examples of written communication activities are:

- Doing exercises;
- · Keeping scrap books;
- · Keeping folios;
- Undertaking projects; and
- Doing written tests.

Representation is a process of analysing a mathematical problem and interpreting it from one mode to another. Mathematical representation enables pupils to find relationship between mathematical ideas that are informal, intuitive and abstract using their everyday language. Pupils will realise that some methods of representation are more effective and useful if they know how to use the elements of mathematical representation.

#### 3. Mathematical Reasoning

Logical reasoning or thinking is the basis for understanding and solving mathematical problems. The development of mathematical reasoning is closely related to the intellectual and communicative development of the pupils. Emphasis on logical thinking during

mathematical activities opens up pupils' minds to accept mathematics as a powerful tool in the world today.

Pupils are encouraged to predict and do guess work in the process of seeking solutions. Pupils at all levels have to be trained to investigate their predictions or guesses by using concrete materials, calculators, computers, mathematical representation and others. Logical reasoning has to be infused in the teaching of mathematics so that pupils can recognise, construct and evaluate predictions and mathematical arguments.

#### 4. Mathematical Connections

In the mathematics curriculum, opportunities for making connections must be created so that pupils can link conceptual to procedural knowledge and relate topics in mathematics with other learning areas in general.

The mathematics curriculum consists of several areas such as arithmetic, geometry, measures and problem solving. Without connections between these areas, pupils will have to learn and memorise too many concepts and skills separately. By making connections pupils are able to see mathematics as an integrated whole rather than a jumble of unconnected ideas. Teachers can foster connections in a problem oriented classrooms by having pupils to communicate, reason and present their thinking. When these mathematical ideas are connected with real life situations and the curriculum, pupils will become more conscious in the application of mathematics. They will also be able to use mathematics contextually in different learning areas in real life.

#### 5. Application of Technology

The application of technology helps pupils to understand mathematical concepts in depth, meaningfully and precisely enabling them to explore mathematical concepts. The use of calculators, computers,

educational software, websites in the internet and available learning packages can help to upgrade the pedagogical skills in the teaching and learning of mathematics.

The use of teaching resources is very important in mathematics. This will ensure that pupils absorb abstract ideas, be creative, feel confident and be able to work independently or in groups. Most of these resources are designed for self-access learning. Through self-access learning, pupils will be able to access knowledge or skills and information independently according to their pace. This will serve to stimulate pupils' interests and responsibility in learning mathematics.

#### APPROACHES IN TEACHING AND LEARNING

Various changes occur that influence the content and pedagogy in the teaching of mathematics in primary schools. These changes require variety in the way of teaching mathematics in schools. The use of teaching resources is vital in forming mathematical concepts. Teachers can use real or concrete objects in teaching and learning to help pupils gain experience, construct abstract ideas, make inventions, build self confidence, encourage independence and inculcate cooperation.

The teaching and learning materials that are used should contain self-diagnostic elements so that pupils can know how far they have understood the concepts and skills. To assist the pupils in having positive

attitudes and personalities, the intrinsic mathematical values of exactness, confidence and thinking systematically have to be absorbed through the learning areas.

Good moral values can be cultivated through suitable context. For example, learning in groups can help pupils develop social skills and encourage cooperation and self-confidence in the subject. The element of patriotism can also be inculcated through the teaching-

learning process in the classroom using planned topics. These values should be imbibed throughout the process of teaching and learning mathematics.

Among the approaches that can be given consideration are:

- Pupil centered learning that is interesting;
- The learning ability and styles of learning;
- The use of relevant, suitable and effective teaching materials; and
- Formative evaluation to determine the effectiveness of teaching and learning.

The choice of an approach that is suitable will stimulate the teaching and learning environment in the classroom or outside it. The approaches that are suitable include the following:

- · Cooperative learning;
- Contextual learning;
- Mastery learning;
- · Constructivism;
- Enquiry-discovery; and
- Futures Study.

#### **ASSESSMENT**

Assessment is an integral part of the teaching and learning process. It has to be well-structured and carried out continuously as part of the classroom activities. By focusing on a broad range of mathematical tasks, the strengths and weaknesses of pupils can be assessed. Different methods of assessment can be conducted using multiple

assessment techniques, including written and oral work as well as demonstration. These may be in the form of interviews, open-ended questions, observations and assignments. Based on the results, the teachers can rectify the pupils' misconceptions and weaknesses and at the same time improve their teaching skills. As such, teachers can take subsequent effective measures in conducting remedial and enrichment activities to upgrade pupils' performance.

# Topic 1: WHOLE NUMBERS

### Learning Area: NUMBERS TO 1 000 000

Year	5
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LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
1 Develop number sense	Teacher pose numbers in	(i) Name and write numbers	Write numbers in words and	numbers
up to 1 000 000	numerals, pupils name the respective numbers and write	up to 1 000 000.	numerals.	numeral
	the number words.		Emphasise reading and writing numbers in extended	count
	Teacher says the number		notation for example :	place value
	names and pupils show the numbers using the calculator or		801 249 = 800 000 + 1 000	value of the digits
	the abacus, then pupils write		+ 200 + 40 + 9 or	partition
	the numerals.		801 249 = 8 hundred	decompose
	<ul> <li>Provide suitable number line scales and ask pupils to mark</li> </ul>		thousands + 1 thousands + 2	estimate
	the positions that representt a		hundreds + 4 tens + 9 ones.	check
	set of given numbers.			compare
	<ul> <li>Given a set of numbers, pupils represent each number using</li> </ul>	(ii) Determine the place value		count in
	the number base blocks or the			hundreds
	abacus. Pupils then state the			ten thousands
	place value of every digit of the given number.			thousands
	Given a set of numerals, pupils	(iii) Compare value of numbers		round off to the nearest
	compare and arrange the	up to 1 000 000.		tens
	numbers in ascending then descending order.			hundreds
		(iv) Round off numbers to the	Explain to pupils that	thousands
		nearest tens, hundreds,	numbers are rounded off to	ten thousands hundred thousands
		thousands, ten thousands and hundred thousands.	get an approximate.	nunurea thousands

# Topic 1: WHOLE NUMBERS

### Learning Area: ADDITION WITH THE HIGHEST TOTAL OF 1 000 000

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
2 Add numbers to the	Pupils practice addition using	numbers to 1 000 000.	Addition exercises include	number sentences
total of 1 000 000	the four-step algorithm of:		addition of two numbers to four numbers	vertical form
	1) Estimate the total.			without trading
	Arrange the numbers involved according to place		<ul> <li>without trading (without regrouping).</li> </ul>	with trading
	values.		<ul> <li>with trading (with</li> </ul>	quick calculation
	3) Perform the operation.		regrouping).	pairs of ten
	4) Check the reasonableness of		Provide mental addition	doubles
	the answer.		practice either using the abacus-based technique or	estimation
Pupils create stories from give addition number sentences.	Pupils create stories from given addition number sentences.		using quick addition strategies such as estimating total by rounding, simplifying addition by pairs of tens and doubles, e.g.	range
			<b>Rounding</b> 410 218 → 400 000	
			294 093 → 300 000	
			68 261 → 70 000	
			<b>Pairs of ten</b> 4 + 6, 5 + 5, etc.	
			<b>Doubles</b> 3 + 3, 30 + 30, 300 + 300, 3000 + 3000, 5 + 5, etc.	

# Topic 1: Whole NUMBERS

# Learning Area: ADDITION WITH THE HIGHEST TOTAL OF 1 000 000

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
	Teacher pose problems	(ii) Solve addition problems.	Before a problem solving	total
	verbally, i.e., in the numerical form or simple sentences.		exercise, provide pupils with the activity of creating stories	sum of
	Teacher guides pupils to solve		from number sentences.	numerical
	problems following Polya's four-		A guide to solving addition	how many
	step model of:		problems:	number sentences
	1) Understanding the problem		Understanding the problem	create
	2) Devising a plan		Extract information from	pose problem
	3) Implementing the plan		problems posed by drawing diagrams, making lists or	tables
	4) Looking back.		tables. Determine the type of	modeling
			problem, whether it is	
			addition, subtraction, etc.  Devising a plan  Translate the information into a number sentence.  Determine what strategy to use to perform the operation.	simulating
			Implementing the plan Perform the operation conventionally, i.e. write the number sentence in the vertical form. Looking back Check for accuracy of the solution. Use a different	
			startegy, e.g. calculate by using the abacus.	

# Topic 1: WHOLE NUMBERS

# Learning Area: SUBTRACTION WITHIN THE RANGE OF 1 000 000

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
3 Subtract numbers from	Pupils create stories from given     publication number containing	(i) Subtract one number from	Subtraction refers to	number sentence
1 000 000.  • Pupils practi using the four	subtraction number sentences.	a bigger number less than 1 000 000.	a) taking away,	vertical form
	<ul> <li>Pupils practice subtraction using the four-step algorithm of:</li> </ul>		b) comparing differences	without trading
	1) Estimate the sum.		c) the inverse of addition.	with trading
	2) Arrange the numbers		Limit subtraction problems to	quick calculation
	involved according to place		subtracting from a bigger number.	pairs of ten
	values. 3) Perform the operation. 4) Check the reasonableness of the answer.		Provide mental sutraction	counting up
		of	practice either using the	counting down
			abacus-based technique or using quick subtraction strategies.  Quick subtraction strategies to be implemented:	estimation
				range
				modeling
				successively
			<ul> <li>a) Estimating the sum by rounding numbers.</li> </ul>	
			<ul><li>b) counting up and counting down (counting on and counting back)</li></ul>	
	Pupils subtract successively by writing the number sentence in the  a) horizontal form	(ii) Subtract successively from a bigger number less than 1 000 000.	Subtract successively two numbers from a bigger number	
	a) horizontal form     b) vertical form			
	b) vertical form			

# Topic 1: Whole NUMBERS

# Learning Area: SUBTRACTION WITHIN THE RANGE OF 1 000 000

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
	Teacher pose problems		Also pose problems in the	create
	verbally, i.e., in the numerical form or simple sentences.		form of pictorials and stories.	pose problems
	Teacher guides pupils to solve problems following Polya's four- step model of:			tables
	1) Understanding the problem			
	2) Devising a plan			
	3) Implementing the plan			
	4) Looking back.			

# Topic 1: WHOLE NUMBERS

# Year 5

# Learning Area: MULTIPLICATION WITH THE HIGHEST PRODUCT OF 1 000 000

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
4 Multiply any two numbers with the highest product of 1 000 000.	Pupils create stories from given	(i) Multiply up to five digit	Limit products to less than	times
	multplication number sentences.	numbers with	1 000 000.	multiply
product of 1 000 000.	e.g. 40 500 × 7 = 283 500	a) a one-digit number,	Provide mental multiplication practice either using the	multiplied by
	"A factory produces 40 500	b) a two-digit number,	abacus-based technique or	multiple of
	batteries per day. 283 500	,	other multiplication strategies.	various
	batteries are produced in 7 days"	c) 10, 100 and 1000.	Multiplication strategies to be	estimation
	<ul> <li>Pupils practice multiplication</li> </ul>		implemented:	lattice
	using the four-step algorithm of:		Factorising	multiplication
	Estimate the product.      Arrange the numbers		16 572 × 36 = (16 572 × 30)+(16 572 × 6)	
			= 497 160 + 99 432	
	involved according to place values.		= 596 592	
	3) Perform the operation.		<b>Completing 100</b> 99 × 4982	
			= 4982 × 99	
	<ol> <li>Check the reasonableness of the answer.</li> </ol>		= (4982 × 100) – (4982 × 1)	
			= 498 200 – 4982 = 493 218	
			Lattice multiplication	
			1     6     5     7     2       0     1     1     2     0       3     8     5     1     6       5     0     3     3     4     1       5     6     6     0     2     2       9     6     5     9     2	3 2 6

# Topic 1: Whole NUMBERS

# Year 5

# Learning Area: MULTIPLICATION WITH THE HIGHEST PRODUCT OF 1 000 000

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
	Teacher pose problems	(ii) Solve problems involving	A guide to solving addition	Times
	verbally, i.e., in the numerical form or simple sentences.	multiplication.	problems: Understanding the	Multiply
	<ul> <li>Teacher guides pupils to solve</li> </ul>		problem	multiplied by
	problems following Polya's four- step model of:		Extract information from problems posed by drawing	multiple of
	Understanding the problem		diagrams, making lists or tables. Determine the type of	estimation
	Devising a plan		problem, whether it is	lattice
	, , ,		addition, subtraction, etc.	multiplication
	3) Implementing the plan		Devising a plan Translate the information	
	4) Looking back.  (Apply some of the common strategies in every problem solving step.)		Translate the information into a number sentence. Determine what strategy to use to perform the operation.  Implementing the plan Perform the operation conventionally, i.e. write the number sentence in the vertical form.  Looking back Check for accuracy of the solution. Use a different startegy, e.g. calculate by using the abacus.	

# Topic 1: Whole NUMBERS

### Learning Area: DIVISION WITH THE HIGHEST DIVIDEND OF 1 000 000

# Year 5

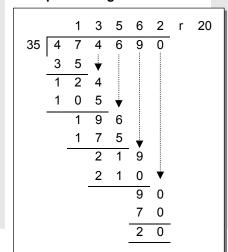
# LEARNING OBJECTIVES Pupils will be taught to...

5 Divide a number less than 1 000 000 by a two-digit number.

# SUGGESTED TEACHING AND LEARNING ACTIVITIES

- Pupils create stories from given division number sentences.
- Pupils practice division using the four-step algorithm of:
  - 1) Estimate the quotient.
  - 2) Arrange the numbers involved according to place values.
  - 3) Perform the operation.
  - 4) Check the reasonableness of the answer.

#### **Example for long division**



# LEARNING OUTCOMES Pupils will be able to...

- (i) Divide numbers up to six digits by
  - a) one-digit number,
  - b) 10, 100 and 1000,
  - c) two-digit number,

# Division exercises include quptients

POINTS TO NOTE

- a) without remainder,
- b) with remainder.

Note that "r" is used to signify "remainder".

Emphasise the long division technique.

Provide mental division practice either using the abacus-based technique or other division strategies.

Exposed pupils to various division strategies, such as,

- a) divisibility of a number
- b) divide by 10, 100 and 1 000.

#### VOCABULARY

dividend

quotient

divide

divisor

remainder

divisibility

# Topic 1: WHOLE NUMBERS

# Year 5

# Learning Area: DIVISION WITH THE HIGHEST DIVIDEND OF 1 000 000

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
	<ul> <li>Teacher pose problems verbally, i.e., in the numerical form or simple sentences.</li> </ul>	(ii) Solve problems involving division.		
	<ul> <li>Teacher guides pupils to solve problems following Polya's four- step model of:</li> </ul>			
	1) Understanding the problem			
	2) Devising a plan			
	3) Implementing the plan			
	4) Looking back.			
	(Apply some of the common strategies in every problem solving step.)			

# Topic 1: Whole NUMBERS

### Learning Area: MIXED OPERATIONS

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
6 Perform mixed operations involving multiplication and division.	<ul> <li>Pupils create stories from given number sentences involving mixed operations of division and multiplication.</li> </ul>	<ul><li>(i) Calculate mixed operation on whole numbers involving multiplication and division.</li></ul>	For mixed operations involving multiplication and division, calculate from left to right.	Mixed operations
	<ul> <li>Pupils practice calculation involving mixed operation using the four-step algorithm of:</li> </ul>		Limit the result of mixed operation exercises to less than 100 000, for example	
	1) Estimate the quotient.		a) 24 × 10 ÷ 5 =	
	Arrange the numbers involved according to place		b) 496 ÷ 4 × 12 = c) 8 005 × 200 ÷ 50 =	
	values.		Avoid problems such as	
	3) Perform the operation.		a) 3 ÷ 6 x 300 =	
	<ol> <li>Check the reasonableness of the answer.</li> </ol>		b) 9 998 ÷ 2 × 1000 = c) 420 ÷ 8 × 12 =	
	<ul> <li>Teacher guides pupils to solve problems following Polya's four- step model of:</li> </ul>	(ii) Solve problems involving mixed operations of division and multiplication	Pose problems in simple sentences, tables or pictorials.	
	1) Understanding the problem		Some common problem solving strategies are	
	2) Devising a plan		a) Drawing diagrams	
	3) Implementing the plan		b) Making a list or table	
	4) Looking back.		c) Using arithmetic	
	(Apply appropriate strategies in every problem solving step.)		formula	
	2.2., p. 2.2 22g 2.2p.)		d) Using tools.	

### Learning Area: IMPROPER FRACTIONS

# Year 5 **VOCABULARY** improper fraction numerator denominator three over two three halves one whole quarter compare partition

# Pupils will be taught to...

1 Understand improper fractions.

#### LEARNING OBJECTIVES SUGGESTED TEACHING AND LEARNING ACTIVITIES

- Demonstrate improper fractions using concrete objects such as paper cut-outs, fraction charts and number lines.
- Pupils perform activities such as paper folding or cutting, and marking value on number lines to represent improper fractions.

#### LEARNING OUTCOMES Pupils will be able to...

- (i) Name and write improper fractions with denominators up to 10.
- (ii) Compare the value of the two improper fractions.

#### POINTS TO NOTE

Revise proper fractions before introducing improper fractions.

Improper fractions are fractions that are more than one whole.



"three halves"  $\frac{3}{2}$ 

The numerator of an improper fraction has a higher value than the denominator.





The fraction reperesented by the diagram is "five thirds" and is written as  $\frac{5}{3}$ . It is commonly said as "five over three".

#### Learning Area: MIXED NUMBERS

# Year 5

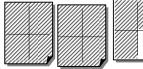
# LEARNING OBJECTIVES Pupils will be taught to...

2 Understand mixed numbers.

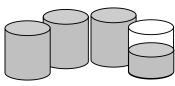
# SUGGESTED TEACHING AND LEARNING ACTIVITIES

- Teacher demonstrates mixed numbers by partitioning real objects or manipulative.
- Pupils perform activities such as
  - a) paper folding and shading
  - b) pouring liquids into containers
  - c) marking number linesto represent mixed numbers.

e.g.



 $2\frac{3}{4}$  shaded parts.



 $3\frac{1}{2}$  beakers full.

# LEARNING OUTCOMES Pupils will be able to...

- (i) Name and write mixed numbers with denominators up to 10.
- (ii) Convert improper fractions to mixed numbers and viceversa.

#### POINTS TO NOTE

A mixed number consists of a whole number and a proper fraction.

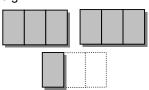
e.g.

 $2\frac{1}{2}$ 

Say as 'two and a half' or 'two and one over two'.

To convert improper fractions to mixed numbers, use concrete representations to verify the equivalence, then compare with the procedural calculation.

e.g.



$$\frac{7}{3} = 2\frac{1}{3}$$

 $\frac{2R1}{3)7}$ 

 $\frac{6}{1}$ 

#### VOCABULARY

fraction
proper fraction
improper fraction
mixed numbers

#### Learning Area: ADDITION OF FRACTIONS

# Year 5

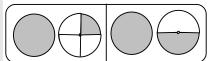
# Pupils will be taught to...

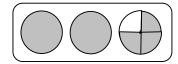
3 Add two mixed numbers.

#### LEARNING OBJECTIVES SUGGESTED TEACHING AND LEARNING ACTIVITIES

- Demonstrate addition of mixed numbers through
  - a) paper folding activities
  - b) fraction charts
  - c) diagrams
  - d) number lines.
  - e.g.

$$1\frac{1}{4} + 1\frac{1}{2} = 2\frac{3}{4}$$





 Create stories from given number sentences involving mixed numbers.

#### LEARNING OUTCOMES Pupils will be able to...

- (i) Add two mixed numbers with the same denominators up to 10.
- (ii) Add two mixed numbers with different denominators up to 10.
- (iii) Solve problems involving addition of mixed numbers.

#### POINTS TO NOTE

Examples of mixed numbers addition exercise:

- a)  $2 + \frac{1}{3} =$
- b)  $2\frac{3}{5} + \frac{4}{5} =$
- c)  $1\frac{2}{7} + 2\frac{4}{7} =$

The following type of problem should also be included:

- a)  $1\frac{8}{9} + 3\frac{1}{3} =$
- b)  $1\frac{1}{2} + 1\frac{1}{2} =$

Emphasise answers in simplest form.

#### VOCABULARY

mixed numbers

equivalent simplest form denominators multiples number lines diagram

fraction charts

$$1\frac{8}{9} + 3\frac{1}{3}$$

$$=1\frac{8}{9}+3\frac{1\times3}{3\times3}$$

$$=1\frac{8}{9}+3\frac{3}{9}$$

$$=4\frac{11}{9}$$

$$=5\frac{2}{9}$$

### Learning Area: SUBTRACTION OF FRACTIONS

LEARNING OBJECTIVES  Pupils will be taught to  4 Subtract mixed  numbers.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  • Demonstrate subtraction of mixed numbers through  a) paper folding activities b) fraction charts c) diagrams d) number lines e) multiplication tables.  • Pupils create stories from given number sentences involving mixed numbers.	LEARNING OUTCOMES  Pupils will be able to  (i) Subtract two mixed numbers with the same denominator up to 10.	Some examples of subtraction problems:  a) $2\frac{3}{5}-2=$ b) $2\frac{4}{7}-\frac{3}{7}=$ c) $2\frac{3}{4}-1\frac{1}{4}=$ d) $3-1\frac{1}{9}=$ e) $2\frac{1}{8}-1\frac{3}{8}=$ Emphasise answers in simplest form.	simplest form multiply fraction chart mixed numbers multiplication tables.
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### Learning Area: SUBTRACTION OF FRACTIONS

Y	e	a	r	5
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LEARNING OBJECTIVES Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to  (ii) Subtract two mixed numbers with different denominators up to 10.  (iii) Solve problems involving subtraction of mixed numbers.	POINTS TO NOTE  Include the following type of problems, e.g. $1\frac{1}{2} - \frac{1}{4}$ $= 1\frac{1 \times 2}{2 \times 2} - \frac{1}{4}$ $= 1\frac{2}{4} - \frac{1}{4}$ $= 1\frac{1}{4}$ Other examples  a) $1\frac{7}{8} - \frac{1}{2} =$ b) $3\frac{4}{5} - \frac{7}{10} =$	simplest form equivalent multiples number sentences mixed numbers equivalent fraction
			a) $1\frac{7}{8} - \frac{1}{2} =$	
			c) $2\frac{1}{4} - \frac{2}{3} =$ d) $5\frac{1}{6} - 3\frac{3}{4} =$ Emphasise answers in simplest form.	

### Learning Area: MULTIPLICATION OF FRACTIONS

# Year 5

# LEARNING OBJECTIVES Pupils will be taught to...

5 Multiply any proper fractions with a whole number up to 1 000.

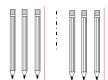
# SUGGESTED TEACHING AND LEARNING ACTIVITIES

- Use groups of concrete materials, pictures and number lines to demonstrate fraction as equal share of a whole set.
- Provide activities of comparing equal portions of two groups of objects.

e.g.

$$\frac{1}{2}$$
 of 6 = 3

 $\frac{1}{2}$  of 6 pencils is 3 pencils.



$$\frac{1}{2} \times 6 = \frac{6}{2} = 3$$

# LEARNING OUTCOMES Pupils will be able to...

(i) Multiply whole numbers

with proper fractions.

#### POINTS TO NOTE

Emphasise group of objects as one whole.

Limit whole numbers up to 3 digits in mulplication exercises of whole numbers and fractions.

Some examples multiplication exercise for fractions with the numerator 1 and denominator up to 10.

- a)  $\frac{1}{2}$  of 8
- b)  $\frac{1}{5} \times 70 =$
- c)  $\frac{1}{8} \times 648 =$

#### VOCABULARY

Simplest form

Fractions

Denominator

Numerator

Whole number

Proper fractions

Divisible

### Learning Area: MULTIPLICATION OF FRACTIONS

Y	e	a	r	5
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# Topic 3: DECIMALS

#### Learning Area: DECIMAL NUMBERS

EARNING OBJECTIVES   Pupils will be taught to   SUGGESTED TEACHING AND LEARNING ACTIVITIES   1. Understand and use the vocabulary related to decimals.   • Teacher models the concept of decimal numbers using number lines.   • e.g. a parts out of 1 000 equals 0.008   23 parts out of 1 000 is equal to 0.023.   100 parts out of 1 000 is 0.100   • Compare decimal numbers using thousand squares and number line.   • Pupils find examples that use decimals in daily situation.   • Pupils find examples that use decimals in daily situation.   EARNING OUTCOMES   Pupils will be able to   Decimals are fractions of tenths, hundredths and thousandths.   Decimals are fractions of tenths, hundredths and thousandths.   e.g.   0.007 is read as "seven thousandths" or 'zero point zero zero seven'.   12.302 is read as "welve and three hundred and two thousandths for twelve point three zero two'.   Emphasise place value of thousandths using the thousand squares.   Emphasise place value of thousandths using the thousand squares.   Emphasise place value of thousandths using the thousand squares.   Emphasise place value of thousandths are thousandths using the thousand squares.   Emphasise place value of thousandths and thousandths.   Emphasise place value of thousandths are thousand squares.   Emphasise place value of thousandths are thousandths ar	Leaning Area. DEGII	VIAL NOWIDLING			
decimal numbers using number lines.  e.g. 8 parts out of 1 000 equals 0.008 23 parts out of 1 000 is equal to 0.023. 100 parts out of 1 000 is 0.100 • Compare decimal numbers using thousand squares and number line. • Pupils find examples that use decimals in daily situation.  decimal numbers using number lines.  o.008  (iii) Recognise the place value of thousandths.  (iii) Convert fractions of thousandths to decimal numbers and vice versa.  (iv) Round off decimal numbers to three decimal numbers to the nearest to the nearest a) tenths, hundredths and thousandths.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousandths using the thousand squares.  Emphasise place value of thousandths using the thousandths using the thousand squares.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousand squares.  Emphasise place value of thousandths using the thousandths using the thousand squares.  Thousandths to decimal numbers to the nearest a) thousandths using the thousandths.  The size of the fraction charts representing one whole should be the same for tenths, hundredths and thousandths.				POINTS TO NOTE	VOCABULARY
	the vocabulary related to	decimal numbers using number lines. e.g. 8 parts out of 1 000 equals 0.008 23 parts out of 1 000 is equal to 0.023. 100 parts out of 1 000 is 0.100 • Compare decimal numbers using thousand squares and number line. • Pupils find examples that use	numbers to three decimal places.  (ii) Recognise the place value of thousandths.  (iii) Convert fractions of thousandths to decimal numbers and vice versa.  (iv) Round off decimal numbers to the nearest  a) tenths,	tenths, hundredths and thousandths. e.g 0.007 is read as "seven thousandths" or 'zero point zero zero seven'. 12.302 is read as "twelve and three hundred and two thousandths" or 'twelve point three zero two'. Emphasise place value of thousandths using the thousand squares. Fractions are not required to be expressed in its simplest form. Use overlapping slides to compare decimal values of tenths, hundredths and thousandths. The size of the fraction charts representing one whole should be the same for tenths, hundredths and	place value chart thousandths thousand squares decimal point decimal place decimal fraction mixed decimal

### Topic 3: DEGIMALS

#### **Learning Area: ADDITION OF DECIMAL NUMBERS**

#### LEARNING OBJECTIVES LEARNING OUTCOMES **VOCABULARY** SUGGESTED TEACHING AND POINTS TO NOTE Pupils will be taught to... Pupils will be able to... LEARNING ACTIVITIES · Pupils practice adding decimals (i) Add any two to four Add any two to four decimals decimal numbers 2 Add decimal numbers given number sentences in using the four-step algorithm of decimal numbers up to up to three decimal places. vertical form the horizontal and vertical three decimal places 1) Estimate the total. form. place value involving 2) Arrange the numbers Emphasise on proper decimal point involved according to place a) decimal numbers and positioning of digits to the estimation values. decimal numbers. corresponding place value when writing number 3) Perform the operation. horizontal form b) whole numbers and sentences in the vertical 4) Check the reasonableness of decimal numbers, total form. the answer. 6.239 + 5.232 = 11.471(ii) Solve problems involving · Pupils create stories from given addition of decimal number sentences. numbers. addend sum addend

# Topic 3: DEGIMALS

### Learning Area: SUBTRACTION OF DECIMAL NUMBERS

#### Year 5 LEARNING OUTCOMES POINTS TO NOTE **VOCABULARY** Pupils will be able to... Emphasise performing vertical (i) Subtract a decimal number subtraction of decimal from another decimal up to place value numbers by writing the three decimal places. number sentence in the decimal point vertical form. (ii) Subtract successively any estimation two decimal numbers up to Emphasise the alignment of range three decimal places. place values and decimal points. decimal numbers (iii) Solve problems involving Emphasise subtraction using subtraction of decimal the four-step algorithm. numbers. The minuend should be of a bigger value than the subtrahend. 8.321 - 4.241 = 4.080difference minuend subtrahend

#### LEARNING OBJECTIVES Pupils will be taught to...

3 Subtract decimal numbers up to three decimal places.

#### SUGGESTED TEACHING AND LEARNING ACTIVITIES

- Pupils subtract decimal numbers, given the number sentences in the horizontal and vertical form.
- · Pupils practice subtracting decimals using the four-step algorithm of
  - 1) Estimate the total.
  - 2) Arrange the numbers involved according to place values.
  - 3) Perform the operation.
  - 4) Check the reasonableness of the answer.
- Pupils make stories from given number sentences.

#### 20

# Topic 3: DECIMALS

### Learning Area: MULTIPLICATION OF DECIMAL NUMBERS

Pupils will be taught to  4 Multiply decimal numbers up to three decimal places with a whole number.  • Multiply decimal numbers with a number using horizontal and vertical form.  • Pupils practice subtracting decimals using the four-step algorithm  1) Estimate the total.  2) Arrange the numbers involved according to place values.  (i) Multiply decimal numbers decimals using the four-step algorithm  (i) Multiply numbers decimals number and decimals using the four-step algorithm  (i) Multiply numbers decimals numbers decimals number and decimals numbers numbers decimals numbers decimals numbers number	rany decimal rs up to three I places with multiplication of decimal numbers by writing the number sentence in the vertical form.  Emphasise the alignment of place values and decimal points.  Apply knowledge of decimals in:  a) money,  Emphasise of decimal product horizontal form
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# Topic 3: DECIMALS

### Learning Area: DIVISION OF DECIMAL NUMBERS

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
			Emphasise division using the four-steps algorithm.  Quotients must be rounded off to three decimal places.  Apply knowledge of decimals in:  a) money, b) length, c) mass, d) volume of liquid.	divide quotient decimal places rounded off whole number
		<ul> <li>b) a two-digit whole number</li> <li>c) 10</li> <li>d) 100.</li> <li>(iv) Solve problem involving division of decimal numbers.</li> </ul>		

# Topic 4: PERGENTAGE

Learning Area: PERCENTAGE

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
Understand and use percentage.	<ul> <li>Pupils represent percentage with hundred squares.</li> <li>Shade parts of the hundred squares.</li> <li>Name and write the fraction of the shaded parts to percentage.</li> </ul>	<ul> <li>(i) Name and write the symbol for percentage.</li> <li>(ii) State fraction of hundredths in percentage.</li> <li>(iii) Convert fraction of hundredths to percentage and vice versa.</li> </ul>	The symbol for percentage is % and is read as 'percent', e.g. 25 % is read as 'twenty-five percent'.  The hundred squares should be used extensively to easily convert fractions of hundredths to percentage. e.g.  a) $\frac{16}{100} = 16\%$ b) $42\% = \frac{42}{100}$	percent percentage

## Topic 4: PERGENTAGE

# Year 5

#### Learning Area: CONVERT FRACTIONS AND DECIMALS TO PERCENTAGE

LEARNING OBJECTIVES  Pupils will be taught to  2 Relate fractions and decimals to percentage.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  • Identify the proper fractions with the denominators given.	LEARNING OUTCOMES  Pupils will be able to  (i) Convert proper fractions of tenths to percentage.  (ii) Convert proper fractions with the denominators of 2, 4, 5, 20, 25 and 50 to percentage.  (iii) Convert percentage to fraction in its simplest form.  (iv) Convert percentage to decimal number and vice versa.	e.g. $\frac{5}{10} \to \frac{5}{10} \times \frac{10}{10} = \frac{50}{100} \to 50\%$ $\frac{7}{25} \to \frac{7}{25} \times \frac{4}{4} = \frac{28}{100} \to 28\%$ $35\% \to \frac{35}{100} = \frac{35}{100} \div \frac{5}{5} \to \frac{7}{20}$	VOCABULARY

#### Topic 5: MONEY

Pupils will be taught to...

1 Understand and use

the vocabulary related to

when dealing with money

2 Use and apply mathematics concepts

up to RM100 000.

money.

#### Learning Area: MONEY TO RM100 000

LEARNING OBJECTIVES SUGGESTED TEACHING AND

EY TO RM100 000			Year 5
SUGGESTED TEACHING AND LEARNING ACTIVITIES  • Pupils show different combinations of notes and coins to represent a given amount of money.  • Pupils perform basic and mixed	LEARNING OUTCOMES  Pupils will be able to  (i) Read and write the value of money in ringgit and sen up to RM100 000.  (i) Add money in ringgit and	POINTS TO NOTE  When performing mixed	RM sen note value total
operations involving money by writing number sentences in the horizontal and vertical form.  • Pupils create stories from given number sentences involving money in real context, for example,  a) Profit and loss in trade b) Banking transaction c) Accounting d) Budgeting and finance management	sen up to RM100 000.  (ii) Subtract money in ringgit and sen within the range of RM100 000.  (iii) Multiply money in ringgit and sen with a whole number, fraction or decimal with products within RM100 000.  (iv) Divide money in ringgit and sen with the dividend up to RM100 000.  (v) Perform mixed operation of multiplication and division involving money in ringgit and sen up to RM100 000.	operations, the order of operations should be observed.  Example of mixed operation involving money,  RM62 000 ÷ 4 × 3 = ?  Avoid problems with remainders in division, e.g.,  RM75 000.10 ÷ 4 × 3 = ?	amount range dividend combination

# Topic 5: MONEY

#### Learning Area: MONEY TO RM100 000

Year	5
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LEARNING OBJECTIVES Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
	<ul> <li>Pupils solve problems following Polya's four-step algorithm and using some of the common problem solving strategies.</li> </ul>	(vi) Solve problems in real context involving money in ringgit and sen up to RM100 000.	Pose problem in form of numericals, simple sentences, graphics and stories.	
			Polya's four-step algorithm	
			Understanding the problem	
			2) Devising a plan	
			3) Implementing the plan	
			4) Checking the solution	
			Examples of the common problem solving strategies are	
			<ul> <li>Drawing diagrams</li> </ul>	
			Making a list	
			Using formula	
			<ul> <li>Using tools</li> </ul>	

#### Learning Area: READING AND WRITING TIME

LEARNING OBJECTIVES Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
			Some common ways to read time in the 24-hour system. e.g.  Say: Sixteen hundred hours Write: 1600hrs  Say: Sixteen zero five hours Write: 1605hrs	ante meridiem post meridiem analogue clock digital clock. 24-hour system 12-hour system
			Say: zero hundred hours Write: 0000hrs	

#### Learning Area: READING AND WRITING TIME

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
	Pupils convert time by using	(iii) Convert time from the 24-	Examples of time conversion	a.m
	the number line	hour system to the 12-hour system and vice-versa.	from the 24-hour system to the 12-hour system.	p.m
	12 12 12		e.g.	
			a) 0400hrs $\leftrightarrow$ 4.00 a.m.	
	morning afternoon evening noon		b) 1130hrs ↔ 11.30 a.m.	
	0000 1200 0000		c) 1200hrs $\leftrightarrow$ 12.00 noon	
			d) 1905hrs $\leftrightarrow$ 7.05 p.m.	
			e) 0000hrs ↔12.00 midnight	
	the clock face		a.m.	
	23 00 13		ante meridiem refers to the time after midnight before noon.	
	215		p.m.	
	21 9 3 15 8 4 16 19 18 17		post meridiem refers to the time after noon before midnight.	

#### Learning Area: RELATIONSHIP BETWEEN UNITS OF TIME

LEARNING OBJECTIVES  Pupils will be taught to  2 Understand the relationship between units of time.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  • Pupils convert from one unit of time  • Pupils explore the relationship between centuries, decades and years by constructing a time conversion table.	LEARNING OUTCOMES Pupils will be able to  (i) Convert time in fractions and decimals of a minute to seconds.  (ii) Convert time in fractions and decimals of an hour to minutes and to seconds.  (iii) Convert time in fractions and decimals of a day to hours, minutes and seconds.  (iv) Convert units of time from  a) century to years and vice versa.  b) century to decades and vice versa.	Conversion of units of time may involve proper fractions and decimals.  a) 1 century = 100 years b) 1 century = 10 decade	vocabulary century decade
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#### Learning Area: BASIC OPERATIONS INVOLVING TIME

5 hr 20 min 30 s + 2 hr 25 min 43 s  (iii) Multiply time in hours, minutes and seconds.  (iv) Divide time in hours, minutes and seconds.  4 hr 45 min 12 s - 2 hr 30 min 52 s  2 hr 15 min 9 s × 7
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#### Learning Area · DIIRATION

Topic 6: TIME	TION			Year 5
LEARNING OBJECTIVES Pupils will be taught to  4 Use and apply knowledge of time to find the duration.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  • Pupils read and state information from schedules such as:  a) class time-table, b) fixtures in a tournament c) public transport, etc  • Pupils find the duration the start and end time from a given situation.	LEARNING OUTCOMES  Pupils will be able to  (i) Identify the start and end times of are event.  (ii) Calculate the duration of an event, involving  a) hours, minutes and seconds.  b) days and hours  (iii) Determine the start or end time of an event from a given duration of time.  (iv) Solve problems involving time duration in fractions and/or decimals of hours, minutes and seconds.	Expose pupils to a variety of schedules. Emphasise the 24-hour system. The duration should not be longer than a week.	VOCABULARY  duration schedule event start end competition hours minutes 24-hour system period fixtures tournament

# Topic 7: LENGTH

#### Learning Area: MEASURING LENGTH

Learning Area. IVIEAS	OKING LLINGTTI			
LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
			Introduce the symbol 'km' for kilometre.  Relate the knowledge of data handling (pictographs) to the scales in a simple map.  represents 10 pupils.  represents 5 km  1 cm	kilometre distance places points destinations between record map scale

# Topic 7: LENGTH

#### Learning Area: RELATIONSHIP BETWEEN UNITS OF LENGTH

<ul> <li>2 Understand the relationship between units of length.</li> <li>• Compare the length of a metre string and a 100-cm stick, then write the relationship between the units.</li> <li>• Pupils use the conversion table for units of length from km to m and vice versa.</li> <li>(ii) Relate metre and kilometre. String and a 100-cm stick, then write the relationship between the units.</li> <li>• Pupils use the conversion table for units of length from km to m and vice versa.</li> <li>(iii) Convert metre to kilometre and vice versa.</li> <li>(iii) Convert metre to kilometre and vice versa.</li> </ul>	LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
	Pupils will be taught to  2 Understand the relationship between units	<ul> <li>LEARNING ACTIVITIES</li> <li>Compare the length of a metre string and a 100-cm stick, then write the relationship between the units.</li> <li>Pupils use the conversion table for units of length to convert length from km to m and vice</li> </ul>	Pupils will be able to  (i) Relate metre and kilometre.  (ii) Convert metre to kilometre	Emphasise relationships.  1 km = 1000 m  1 m = 100 cm  1 cm = 10 mm  Practice mental calculation giving answers in mixed	measurement

# Topic 7: LENGTH

#### Learning Area: BASIC OPERATIONS INVOLVING LENGTH

LEARNING OBJECTIVES  Pupils will be taught to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OUTCOMES  Pupils will be able to	POINTS TO NOTE	VOCABULARY
Pupils will be taught to  3 Add, subtract, multiply and divide units of length.		Pupils will be able to  (i) Add and subtract units of length involving conversion of units in  a) kilometres,  b) kilometres and metres.  (ii) Multiply and divide units of length in kilometres involving conversion of units with  a) a one-digit number,  b) 10, 100, 1 000.  (iii) Identify operations in a	Give answers in mixed decimals to 3 decimal places.  Check answers by performing mental calculation wherever appropriate.	add subtract conversion mixed decimal multiply quotient
		given situation.  (iv) Solve problems involving basic operations on length.		

# Topic 8: MASS

TODIG 8: MASS Learning Area: COMF	PARING MASS			Year 5
LEARNING OBJECTIVES  Pupils will be taught to  1 Compare mass of objects.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  • Pupils measure, read and record masses of objects in kilograms and grams using the weighing scale and determine how many times the mass of an object as compared to another.	LEARNING OUTCOMES  Pupils will be able to  (i) Measure and record masses of objects in kilograms and grams.  (ii) Compare the masses of two objects using kilogram and gram, stating the comparison in multiples or fractions.  (iii) Estimate the masses of objects in kilograms and grams.	Emphasise that measuring should start from the '0' mark of the weighing scale.  Encourage pupils to check accuracy of estimates.	read weighing scale divisions weight weigh compare record compound
2 Understand the relationship between units of mass.	<ul> <li>Pupils make stories for a given measurement of mass.</li> <li>e.g.</li> <li>Aminah bought 4 kg of cabbages and 500 g celery.</li> <li>Altogether, she bought a total of 4.5 kg vegetables.</li> </ul>	<ul> <li>(i) Convert units of mass from fractions and decimals of a kilogram to grams and vice versa.</li> <li>(ii) Solve problems involving conversion of mass units in fraction and/or decimals.</li> </ul>	Emphasise relationships.  1 kg = 1000 g  Emphasise mental calculations.  Emphasise answers in mixed decimals up to 3 decimal place. e.g. a) 3 kg 200 g = 3.2 kg b) 1 kg 450 g = 1.45 kg c) 2 kg 2 g = 2.002 kg	measurement relationship

#### Learning Area: COMPARING VOLUME

# Year 5

LEARNING OBJECTIVES
Pupils will be taught to

1 Measure and compare volumes of liquid using standard units.

## SUGGESTED TEACHING AND LEARNING ACTIVITIES

- Pupils measure, read and record volume of liquid in litres and mililitres using beaker, measuring cylinder, etc.
- Pupils measure and compare volume of liquid stating the comparison in multiples or factors.

## LEARNING OUTCOMES Pupils will be able to...

- (i) Measure and record the volumes of liquid in a smaller metric unit given the measure in fractions and/or decimals of a larger uniit.
- (ii) Estimate the volumes of liquid involving fractions and decimals in litres and mililitres.
- (iii) Compare the volumes of liquid involving fractions and decimals using litres and mililitres.

#### POINTS TO NOTE

Capacity is the amount a container can hold.

Emphasise that reading of measurement of liquid should be at the bottom of

the meniscus.  $1\ell = 1000 \text{ m}\ell$ 

$$\frac{1}{2}$$
  $\ell$  = 0.5  $\ell$  = 500 m $\ell$ 

$$\frac{1}{4}\ell = 0.25 \ell = 250 \text{ m}\ell$$

$$\frac{3}{4}$$
  $\ell = 0.75 \text{ m}\ell = 750 \text{ m}\ell$ 

Encourage pupils to check accuracy of estimates.

VO	CAB	ULARY	

read

meniscus

record

capacity

measuring

cylinder

water level

beaker

measuring jug

divisions

#### Learning Area: RELATIONSHIP BETWEEN UNITS OF VOLUME

LEARNING OBJECTIVES  Pupils will be taught to  2 Understand the relationship between units of volume of liquid.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  • Engage pupils in activities that will create an awareness of relationship.  • Pupils make stories from a given number sentence involving volume of Iquid.	LEARNING OUTCOMES Pupils will be able to  (i) Convert unit of volumes involving fractions and decimals in litres and viceversa.  (ii) Solve problem involving volume of liquid.	Emphasise relationships.  1 $\ell$ = 1 000 m $\ell$ Emphasise mental calculations.  Emphasise answers in mixed decimals up to 3 decimal places. e.g.  a) 400 m $\ell$ = 0.4 $\ell$ b) 250 m $\ell$ = $\frac{1}{4}$ $\ell$ c) 4750 m $\ell$ = 4.75 $\ell$ = $4\frac{3}{4}$ $\ell$ d) $3\frac{2}{5}$ $\ell$ = 3.4 $\ell$ = 3400 m $\ell$ Include compound units.	measurement relationship
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#### Learning Area: OPERATIONS ON VOLUME OF LIQUID

Y	ea	r	5
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LEARNING OBJECTIVES  Pupils will be taught to  3 Add and subtract units of volume.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  • Pupils carry out addition up to 3 numbers involving mixed decimals in litres and millitres.	LEARNING OUTCOMES  Pupils will be able to  (i) Add units of volume involving mixed decimals in a) litres, b) millilitres, c) litres and millilitres.  (ii) Subtract units of volume involving mixed decimals in a) litres, b) millilitres, c) litres and millilitres.	POINTS TO NOTE  Emphasise answers in mixed decimals up to 3 decimals places. e.g: a) $0.607 \ell + 4.715 \ell =$ b) $4.052 \ell + 5 \ell + 1.46 \ell =$ c) $642 \text{ m } \ell + 0.523 \ell + 1.2 \ell =$ Practice mental calculations.	vocabulary measurement relationship
4 Multiply and divide units of volume.	<ul> <li>Pupils demonstrate division for units of volume in the conventional manner.</li> <li>Pupils construct stories about volume of liquids from given number sentences.</li> </ul>	<ul> <li>(iii) Multiply units of volume involving mixed number using: <ul> <li>a) a one-digit number,</li> <li>b) 10, 100, 1000, involving conversion of units.</li> </ul> </li> <li>(iv) Divide units of volume using <ul> <li>a) up to 2 digit number,</li> <li>b) 10, 100, 1000, involving mixed decimals.</li> </ul> </li> </ul>	Give answers in mixed decimals to 3 decimals places, e.g. 0.0008 $\ell$ round off to 0.001 $\ell$ .  Avoid division with remainders.  Make sensible estimations to check answers.	

#### Learning Area: OPERATIONS ON VOLUME OF LIQUID

TO NOTE VOCABULARY	LEARNING OUTCOMES  Pupils will be able to	SUGGESTED TEACHING AND LEARNING ACTIVITIES	LEARNING OBJECTIVES  Pupils will be taught to
	(v) Divide unit of volume using:		
	a) a one-digit number,		
	b) 10, 100, 1000,		
	involving conversion of units.		
	(vi) Solve problems involving computations for volume of liquids.		

#### Topic 10: SHAPE AND SPACE

#### Learning Area: COMPOSITE TWO-DIMENSIONAL SHAPES

# Year 5

#### LEARNING OBJECTIVES LEARNING OUTCOMES SUGGESTED TEACHING AND POINTS TO NOTE **VOCABULARY** Pupils will be taught to... Pupils will be able to... LEARNING ACTIVITIES (i) Measure the perimeter of Emphasise using units in cm shape, • Use measuring tapes, rulers or 1 Find the perimeter of string to measure the perimeter and m. the following composite 2-D composite 2-D shapes. combination, of event composite shapes. shapes. e.g. 2 cm square a) square and square, rectangle, b) rectangle and rectangle, triangle, c) triangle and triangle, 5 cm area, d) square and rectangle, 3 cm calculate e) square and triangle, f) rectangle and triangle. 4 cm Emphasise using various (ii) Calculate the perimeter of combination of 2-D shapes the following composite 2-D to find the perimeter and shapes. a) square and area. square, a) rectangle and rectangle, b) triangle and triangle, c) square and rectangle, d) square and triangle, e) rectangle and triangle. (iii) Solve problems involving perimeters of composite 2-D shapes.

#### Topic 10: Shape and Space

#### Learning Area: COMPOSITE TWO-DIMENSIONAL SHAPES

# Year 5

#### LEARNING OBJECTIVES SUGGESTED TEACHING AND LEARNING OUTCOMES POINTS TO NOTE **VOCABULARY** Pupils will be taught to... LEARNING ACTIVITIES Pupils will be able to... 2 Find the area of · Pupils count the unit squares to (i) Measure the area of the The units of area should be combination, find the area of composite 2-D following composite 2-D in cm<sup>2</sup> and m<sup>2</sup>. composite 2-D shapes. square shape on the grid paper. shapes. Limit shapes to a rectangle, combination of two basic a) square and square, shapes. triangle, b) rectangle and rectangle, area, calculate, c) square and rectangle, 2-D shapes. (ii) Calculate the area of the following composite 2-D shapes. square and square, a) rectangle and rectangle, b) square and rectangle, (iii) Solve problems involving areas of composite 2-D shapes.

## Topic 10: Shape and Space

### Learning Area: COMPOSITE THREE-DIMENSIONAL SHAPES

LEARNING OBJECTIVES  Pupils will be taught to  1 Find the volume of composite 3-D shapes.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  Use any combinations of 3-D shapes to find the surface area and volume.	LEARNING OUTCOMES  Pupils will be able to  (i) Measure the volume of the following composite 3-D shapes  a) cube and cube,  b) cuboid and cuboid,  c) cube and cuboid.  (ii) Calculate the volume of the composite 3-D shapes following  a) cube and cube,  b) cuboid and cuboid,  c) cube and cuboid.  (iii) Solve problems involving	POINTS TO NOTE  3 cm cm A B 2 cm 6 cm 8 cm  Volume of cuboid A = 3 cm × 4 cm × 6 cm  Volume of cuboid B = 2 cm × 4 cm × 8 cm  The combined volume of cubiod A and B = 72 cm <sup>3</sup> + 64 cm <sup>3</sup> = 136 cm <sup>3</sup>	shape, cube, cuboid, surface area, volume composite 3-D shapes
		c) cube and cuboid.		

### Topic 11: DATA HANDLING

Learning Area: AVERAGE

# Year 5

#### LEARNING OBJECTIVES SUGGESTED TEACHING AND LEARNING OUTCOMES POINTS TO NOTE **VOCABULARY** Pupils will be taught to... LEARNING ACTIVITIES Pupils will be able to... The formula for average 1 Understand and use • Prepare two containers of the (i) Describe the meaning of average same size with different the vocabulary related to average. calculate volumes of liquid. Average average. quantities (ii) State the average of two or total of quantity • Equal the volume of liquid from three quantities. the two containers. total of *number of quantity* quantity (iii) Determine the formula for e.g. average. number of quantities objects liquids volume e.g. • Relate the examples given to determine the average using the formula.

# Topic 11: DATA HANDLING

#### Learning Area: AVERAGE

Y	e	a	r	5
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LEARNING OBJECTIVES  Pupils will be taught to  2 Use and apply knowledge of average.	SUGGESTED TEACHING AND LEARNING ACTIVITIES  Calculate the average of two numbers.  Calculate the average of three numbers.  Pose problems involving real life situation.	LEARNING OUTCOMES Pupils will be able to  (i) Calculate the average using formula.  (ii) Solve problem in real life situation.	Emphasise the calculation of average without involving remainders.  Emphasise the calculation of average involving numbers, money, time, length, mass, volume of liquid and quantity of objects and people.  e.g.  Calculate the average 25, 86 and 105. $\frac{25+86+105}{3} = \frac{216}{3} = 72$	remainders number money time length mass volume of liquid people quantity of objects

### Topic 11: DATA HANDLING

#### Learning Area: ORGANISING AND INTERPRETING DATA

# Year 5

# LEARNING OBJECTIVES Pupils will be taught to...

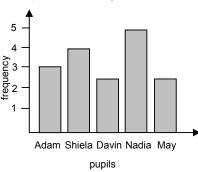
1 Understand the vocabulary relating to data organisation in graphs.

## SUGGESTED TEACHING AND LEARNING ACTIVITIES

 Discuss a bar graph showing the frequency, mode, range, maximum and minimum value.

e.g.

Number of books read by five pupils in February



2 Organise and interpret data from tables and charts.

• Pupils transform data tables to bar graphs.

Name	Reading test score	Mental Arithmetic test score
Adam	10	8
Davin	7	10
May	9	8

## LEARNING OUTCOMES Pupils will be able to...

(i) Recognise frequency,

mode, range, maximinum and minimum value from bar graphs.

- (ii) Construct a bar graph from a given set of data.
- (iii) Determine the frequency, mode, range, average, maximum and minimum value from a given graph.

Initiate discussion by asking simple questions. Using the example in the Suggested Teaching and Learning

POINTS TO NOTE

Activities column, ask

(frequency)

terms, e.g.

1) How many books did
Adam read?

questions that introduce the

- 2) What is the most common number of books read? (mode)
- 3) Who read the most books? (maximum)

From the data table,

What is the most common score? (mode)

Arrange the scores for one of the tests in order, then determine the maximum and minimum score. The range is the difference between the two scores.

#### VOCABULARY

frequency

mode range

maximum

minimum

data table

score

chart

graph organise

interpret